

## Moles (amounts of substance)

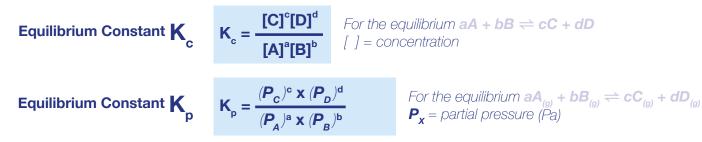
Mass	moles =     - mo	mass olar mass	moles molar		g ss = g mol <sup>-1</sup>
Solution	moles = con	centration	x volum	e	concentration = mol dm <sup>-3</sup> volume = dm <sup>3</sup>
Gas	pV = nRT				= gas constant (8.31 J K <sup>-1</sup> mol <sup>-1</sup> ) = temperature (K)

## **Energy, Enthalpy and Entropy**

		Q = energy chang	te $c = specific heat capacity (J g^{-1} K^{-1})$
Calorimetry	$() - mc \wedge I$	J or kJ)	$\Delta T = temperature change (K or °C)$
<b>Bond Enthalpies</b>	ΔH = ∑(bond ene	ergies of react	tants) - ∑(bond energies of products)
	$\Delta H = chan$	ge in enthalpy (kJ	$I \mod^{-1}$ ), bond enthalpies = kJ $\mod^{-1}$ )
Enthalpy	enthalpy =	oles / change (Q)	enthalpy = $kJ \mod^{-1}$ energy change (Q) = $kJ$
Gibbs Free Energy	ΔG = ΔH - ΤΔS		ee Energy (kJ mol <sup>-1</sup> ) $\Delta H = enthalpy change (kJ mol-1) change (kJ K-1 mol-1) T =temperature (K)$
	ΔG = - <i>RT</i> ln K	R = gas consta In = natural loga	$\begin{array}{ll} \text{nt (8.31 J K^{-1} mol^{-1})} & K = \text{rate constant} \\ \text{arithm} & T = \text{temperature (K)} \end{array}$
Entropy	<b>ΔS = ∑S°</b> (product	ts) <b>- ∑S°</b> (reactar	<b>nts)</b> $\Delta S = \text{entropy change } (J K^{-1} \text{ mol}^{-1})$ $S^{\circ} = \text{standard entropy } (J K^{-1} \text{ mol}^{-1})$
	$\Delta S_{(Total)} = \Delta S_{(System)}$	n) + ΔS <sub>(Surrounding</sub>	<b>gs)</b> $\Delta S = entropy change (J K-1 mol-1) \Delta S_{system} = entropy change of reaction$
	$\Delta S_{(Surroundings)} = \cdot$		ndings) = entropy change of surroundings ( <b>kJ</b> K <sup>-1</sup> mol <sup>-1</sup> ) nthalpy change (kJ mol <sup>-1</sup> ) aperature (K)
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# Equilibrium



## **Rates of Reaction**

Rate Equation	rate = k × [	A] <sup>x</sup> [B] <sup>y</sup> [C] <sup>z</sup>		nol dm <sup>-3</sup> s <sup>-1</sup> , [ ] = concentration ers with respect to A, B and C
Arrhenius Equation	$\mathbf{k} = \mathbf{A}\mathbf{e}^{\frac{-\mathbf{E}_a}{\mathbf{R}\mathbf{T}}}$	k = rate con A = constan e = base of	stant t natural log	E <sub>a</sub> = activation energy (kJ mol <sup>-1</sup> ) T = temperature R = gas constant (8.31 J K <sup>-1</sup> mol <sup>-1</sup> )
	$ln\mathbf{k} = -\frac{\mathbf{E}_a}{\mathbf{E}_a}$	+ In <b>A</b> In	= natural lo	aarithm

#### Acids, Bases and pH

Acid Dissociation Constant $\mathbf{K}_{a}$	$\mathbf{K}_{a} = \frac{[\mathbf{H}_{aq}^{+}][\mathbf{A}_{aq}^{-}]}{[\mathbf{H}\mathbf{A}_{aq}]}$	For the weak acid dissociation $HA \Rightarrow H^* + A^*$ [] = concentration $K_a = acid dissociation constant (mol dm-3)$
рК <sub>а</sub>	$\mathbf{pK}_{a} = -\mathbf{log}_{10}\mathbf{K}_{a}$	
Ionic Product of Water $\mathbf{K}_{w}$	$\mathbf{K}_{w} = [\mathbf{H}_{aq}^{+}][\mathbf{OH}_{aq}^{-}]$	K <sub>w</sub> = ionic product of water (mol <sup>2</sup> dm <sup>-6</sup> ) <b>at 298K, K<sub>w</sub> = 1.00 x 10<sup>-14</sup> mol<sup>2</sup> dm<sup>-6</sup></b>
рН	$\mathbf{pH} = -\mathbf{log}_{10}[\mathbf{H}_{\text{\tiny (ac)}}^+]$	$[H^+_{\scriptscriptstyle (aq)}] = concentration of H^+_{\scriptscriptstyle (aq)}$
	$[H^+_{\text{\tiny (aq)}}] = 10^{-pH}$	+





#### **Electrochemistry**

Electromotive Force E

 $\mathbf{E}_{\text{cell}} = \mathbf{E}_{\text{reduction}} - \mathbf{E}_{\text{oxidation}}$ 

$$\begin{split} E_{\rm cell} &= {\rm EMF} \mbox{ (electromotive force) of electrochemical cell (V)} \\ E_{\rm redution} &= {\rm standard \ electrode \ potential \ of \ cathode} \\ E_{\rm oxidation} &= {\rm standard \ electrode \ potential \ of \ anode} \end{split}$$

Conditions for standard electrode potentials = 298K, 1 mol dm<sup>-3</sup> and 100kPa

# Chromatography

Retention Factor $\mathbf{R}_{f}$	R <sub>f</sub> =	Distance travelled by sample	$R_{\rm f} = no \ units$
		Solvent Front	solvent front = distance travelled by solvent

# Assorted

Atom Economy	Atom Economy = relative formula mass of desired product x 100				
Atom Economy	relative formula mass of all reactants (sum of)				
Percentage Yield	Percentage Yield = $\frac{\text{actual yield}}{\text{theoretical mass}} \times 100$				
Relative Atomic Mass <b>A</b> r	A <sub>r</sub> = (Isotope 1 mass × % abundance) + (Isotope 2 mass × % abundance) total % abundance (100)				
Dilution	$ \begin{array}{l} \mathbf{V_i C_i = V_f C_f} \\ C_i = initial \ volume \\ C_i = initial \ concentration \end{array} \begin{array}{l} V_f = final \ volume \ (after \ dilution) \\ C_f = final \ concentration \ (after \ dilution) \end{array} $				

